

CLASS-XII (2014-2015)
QUESTION WISE BREAK UP

Type of Question	Mark per Question	Total No. of Questions	Total Marks
VSA	1	6	06
LA-I	4	13	52
LA-II	6	7	42
Total 26			100

1. **No chapter wise weightage.** Care to be taken to cover all the chapters.
2. **The above template is only a sample. Suitable internal variations may be made for generating similar templates Keeping the overall weightage to different form of questions and typology of questions same**

CHAPTERWISE MARKS in Class-XII (CBSE) 2015 Onwards

Sr. No	TOPICS	Question Set	MARKS				
			V SA(1M)	S A (4M)	L A (6M)	Total Marks	
1 a)	Relation & Function		1	1	Nil	5	10
1 b)	Binary operation						
1 c)	Inverse Trig. Func		1	1 OR	Nil	5	
2.a)	Matrices		1+1+1		1	9	13
b)	Determinant			1	Nil	4	
3.a.	Continuity, Differentiability		Nil	1 + 1	Nil	8	44
b.	Applications Of Derivative		Nil	1 +1 OR	1	14	
c.	Integrals		Nil	1 + 1	Nil	8	
d	Applications Of Integrals		Nil	Nil	1 OR	6	
e	Differential Equations		Nil	1+1		8	
4.a	Vectors		1		1OR	7	17
b	Three Dimensional Geometry			1 OR	1	10	
5.	Linear Programming		Nil	Nil	1	6	
6.	Probability		Nil	1 OR	1	10	
	TOTAL		6	13	7	100	

General Instructions :

- i) All questions are compulsory.
- ii) The question paper consists of **26** questions divided into three sections **A, B** and **C**. Section **A** comprises of **6** questions of **one** mark each, Section **B** comprises of **13** questions of **four** marks each and section **C** comprises of **07** questions of **six** marks each.
- iii) All questions in Section **A** are to be answered in **one** word, **one** sentence or as per the exact requirement of the question.
- iv) There is no overall choice. However, internal choice has been provided in **04** questions of **four** marks each and **02** questions of **six** marks each. You have to attempt only one of the alternatives in all such questions.
- v) Use of calculators is **not** permitted. You may use logarithmic tables, if required

Section-A (01 mark each)

1. Given, $S = \{1, 2, 3\}$. Determine whether the function $f: S \rightarrow S$, defined as $f = \{(1, 2), (2, 1), (3, 1)\}$ have inverse.
2. Write the value of $\cos^{-1}\left(\cos \frac{13\pi}{6}\right)$.
3. For what value of x , is the matrix $\begin{bmatrix} 0 & 1 & -2 \\ -1 & 0 & 3 \\ x & -3 & 0 \end{bmatrix}$ a skew-symmetric matrix?
4. Write two non-zero matrices whose product is a zero matrix.
5. Evaluate $\begin{bmatrix} 1 \\ 2 \\ 3 \end{bmatrix} \begin{bmatrix} 2 & 3 & 4 \end{bmatrix}$.
6. If \vec{a} is any non-zero vector represent $(\vec{a} \cdot \hat{i})\hat{i} - (\vec{a} \cdot \hat{j})\hat{j} + (\vec{a} \cdot \hat{k})\hat{k}$ in terms of \vec{a}

Section-B (04 marks each)

7. Let $f, g : \mathbb{R} \rightarrow \mathbb{R}$ be defined as $f(x) = |x|$ and $g(x) = [x]$, where $[x]$ denotes greatest integer less than or

equal to x . Then evaluate $\frac{(g \circ f)\left(-\frac{5}{3}\right) - (f \circ g)\left(-\frac{5}{3}\right)}{(f \circ (g \circ f))\left(-\frac{5}{3}\right)}$.

8. Prove that $\cos^{-1}\left(\frac{\cos \alpha + \cos \beta}{1 + \cos \alpha \cdot \cos \beta}\right) = 2 \tan^{-1}\left(\tan \frac{\alpha}{2} \cdot \tan \frac{\beta}{2}\right)$.

OR, Solve for $x : \tan^{-1} 2x + \tan^{-1} 3x = \frac{\pi}{4}$.

9. Prove that, $\begin{vmatrix} ab & c & c^2 \\ bc & a & a^2 \\ ca & b & b^2 \end{vmatrix} = (a-b)(b-c)(c-a)(ab+bc+ca)$.

10. If the function f is defined by $f(x) = \begin{cases} 5 & \text{if } x \leq 2 \\ ax+b & \text{if } 2 < x < 10 \\ 21 & \text{if } x \geq 10 \end{cases}$, is continuous, then find the values of the constants a and b .
11. If $y^2 = 4ax$, prove that, $\frac{d^2y}{dx^2} \cdot \frac{d^2x}{dy^2} = -\frac{2a}{y^3}$
12. Prove that the straight line $px + qy + m = 0$ will touch the ellipse $\frac{x^2}{a^2} + \frac{y^2}{b^2} = 1$ if, $a^2p^2 + b^2q^2 = m^2$.
- OR, Find the equation of the tangent to the curve $x^2 + 3y = 3$, which is parallel to the line $y - 4x + 5 = 0$.
13. Using differential, find the approximate value of $(3.968)^{\frac{3}{2}}$.
14. Evaluate: $\int \frac{1}{\sin(x-a) \cdot \cos(x-b)} dx$.
15. Using properties of definite integral, prove that $\int_0^{\frac{\pi}{2}} \frac{x \cdot \tan x}{\sec x \cos ec x} dx = \frac{\pi^2}{4}$
16. Solve the differential equation $(xdy - ydx) + \sin\left(\frac{y}{x}\right) = (ydx + xdy)x \cos\left(\frac{y}{x}\right)$.
17. Solve the differential equation $\frac{dx}{dy} \left(\frac{e^{-2\sqrt{x}} - y}{\sqrt{x}} \right) = 1, \quad x \neq 0$
18. Find the coordinates of the foot of the perpendicular drawn from the point $A(1, 8, 4)$ to the line joining the points $B(0, -1, 3)$ and $C(2, -3, -1)$.
- OR, Find the equation of the plane which is perpendicular to the plane $5x + 3y + 6z + 8 = 0$ and which contains the line of intersection of the planes $x + 2y + 3z - 4 = 0$ and $2x + y - z + 5 = 0$.
19. Probabilities of solving a specific problem independently by A and B are $\frac{1}{2}$ and $\frac{1}{3}$ respectively. If both try to solve the problem independently, find the probability that (i) the problem is solved (ii) exactly one of them solves the problem.
- OR, Two cards are drawn without replacement from a well shuffled pack of 52 cards. Find the probability that one is a spade and other is a queen of red colour.

Section-C (06 marks each)

20. Using elementary operations, find the inverse of $A = \begin{bmatrix} 1 & 3 & -2 \\ -3 & 0 & -5 \\ 2 & 5 & 0 \end{bmatrix}$, if it exists.
21. Using integration, find the area of the circle $x^2 + y^2 = 16$, which is exterior to the parabola $y^2 = 6x$.
- OR, Find the area of the region bounded by the curve $x^2 + y^2 = 1$, the line $y = x$ and the positive x -axis.
22. Find the point on the curve $x^2 = 8y$ which is nearest to the point $(2, 4)$.
23. Find the projection of $\vec{b} + \vec{c}$ on \vec{a} , where $\vec{a} = 2\hat{i} - 2\hat{j} + \hat{k}$, $\vec{b} = \hat{i} + 2\hat{j} - 2\hat{k}$ and $\vec{c} = 2\hat{i} - \hat{j} + 4\hat{k}$.
- OR, Find the value of λ which makes the vectors $\vec{a}, \vec{b}, \vec{c}$, co-planar, where $\vec{a} = 2\hat{i} - \hat{j} + \hat{k}$, $\vec{b} = \hat{i} + 2\hat{j} - 3\hat{k}$ and $\vec{c} = 3\hat{i} - \lambda\hat{j} + 5\hat{k}$.
24. Find the coordinates of the point where the line through the points $A(3, 4, 1)$ and $B(5, 1, 6)$ crosses the XY plane.
25. A manufacturer has three machine operators A, B and C . The first operator A produces 1% defective items, where as the other two operators B and C produce 5% and 7% defective items respectively. A is on the job for 50% of the time, B is on the job for 30% of the time and C is on the job for 20% of the time. A defective item is produced, what is the probability that was produced by A ?

26. A house wife wishes to mix together two kinds of food, X and Y, in such a way that the mixture contains at least 10 units of vitamin A, 12 units of vitamin B and 8 units of vitamin C. The vitamin contents of one kg of food is given below :

	Vitamin A	Vitamin B	Vitamin C
Food X	1	2	3
Food Y	2	2	1

One kg of food X costs RS 6 and one kg of food Y costs RS 10. Make it as an LPP and solve graphically. Find the least cost of the mixture which will produce the diet.

CONFIDENCE

**“WHEN WE THINK WE KNOW,
WE CEASE TO LEARN”**

Dr. S RADHAKRISHNAN

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